## E 9-4

NAM	E		<u> </u>	
EUC.	LIDEAN DIVISION	MEET 4	FEBRUARY 5, 2015	GRADE 9 30 MINUTES
Direc	tions: Place your answer to ea	ach question below in	the answer column.	ANSWER COLUMN
1)	The harmonic mean, m, of x and y is given by $\frac{2}{\frac{1}{x} + \frac{1}{y}}$ . Find the harmonic mean			
	of 5 and 10.			1)
2)	Numbers are said to be relatively example, 4 and 9 are relatively prime to 36 are  a) 34 & 35 b) 25 & 27 c)	prime numbers. Two	numbers, both relatively	2)
3)	Mr. Felding traveled 4 hours at he averaged 40 m.p.h. it wouttraveling time.	veraging 60 m.p.h. to i	each his destination. Had nadditional hours	3)
4)	The average of <i>n</i> numbers is The average of the remaining a) $\frac{234}{n-9}$ b) $\frac{32n-234}{26}$ c) $\frac{12n-1}{n-1}$	numbers is	and the second second	4)
5)	The probability that it will rai tomorrow is y. The value of	n tomorrow is $x$ . The the expression $7x^2 + 1$	probability it will not rain $4xy + 7y^2 - 1$ is	5)
6)	A printer which can print 80 sy as follows: A B C D X Y			
	line?			6)

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**EUCLIDEAN DIVISION** 

MEET 4

FEBRUARY 5, 2015

**SOLUTIONS** 

**GRADE 9** 

The answer to each question is in parentheses at the beginning of each solution.

- 1)  $\left(\frac{20}{3}\right)$   $\frac{2}{\frac{1}{5}+\frac{1}{10}} = \frac{2}{\frac{3}{10}} = \frac{20}{3}$ .
- 2) (c) The only factor 35 and 36 have in common is 1 and the only factor 55 and 36 have in common is 1.
- 3) (2) He traveled 60 m.p.h. × 4 hours = 240 miles. At 40 m.p.h., 240 miles would have taken him 6 hours, an additional 2 hours traveling time.
- 4) (e) The sum of the *n* numbers is 32n. The sum of the remaining n 9 numbers is 32n (9)(26) = 32n 234. The average of these n 9 numbers is  $\frac{32n-234}{n-9}$ .
- 5) (6) P(rain) = x; P(no rain) = 1 x = y. x + y = 1.  $7x^2 + 14xy + 7y^2 1 = 7$  (x + y)<sup>2</sup> 1 = 7 1 = 6.
- 6) (B)  $80 + 80 + 80 + 80 + 46 = 366^{th}$  letter. Every  $26^{th}$  letter is Z.  $366 \div 26 = 14r2$ . The  $364^{th}$  letter is Z  $(26 \times 14 = 364)$ . The  $365^{th}$  letter is A and the  $366^{th}$  is B.